



Western Norway
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UNIVERSITY OF BERGEN



Proton Computed Tomography

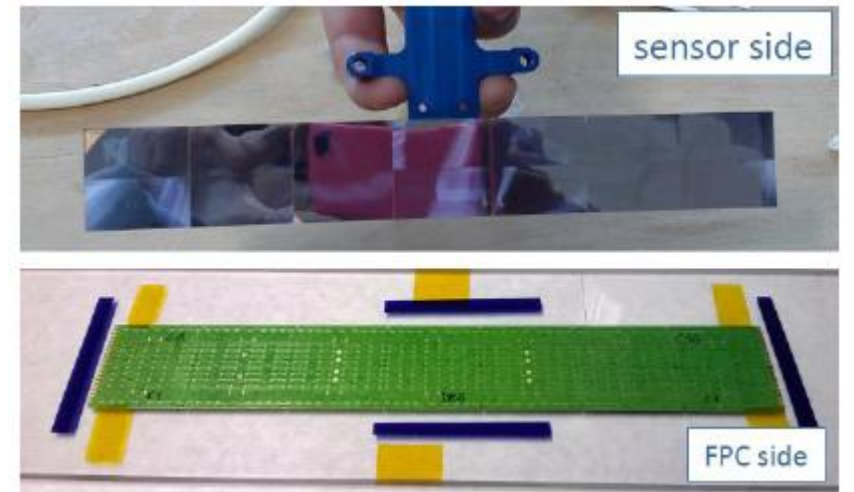
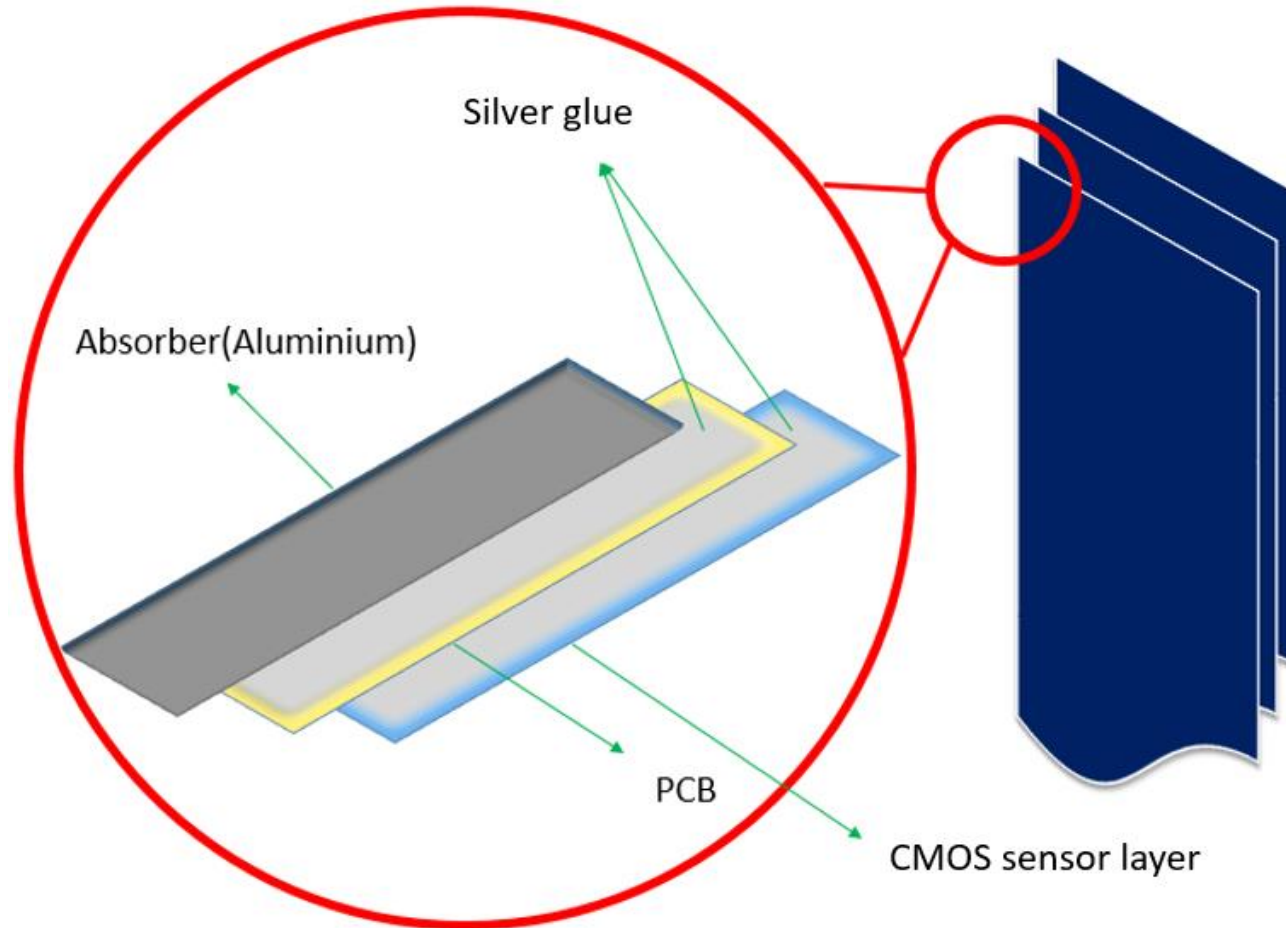
WP5, Mechanical:

Detector cooling potential, Heat transfer approach

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Potential cooling schemes



Study and simulation analysis of heat distribution field:

- In plate heat distribution
 - ✓ Geometry effect (length-width proportion)

$$q = k S \Delta T_{\text{overall}}$$

S = Shape factor

2D Geometries

Very comprehensive summary of shape factors for a large variety of geometries is given by Rohsenow and Hahne and Grigull (Heat transfer books)

3D geometries

$$S_{\text{wall}} = A / L$$

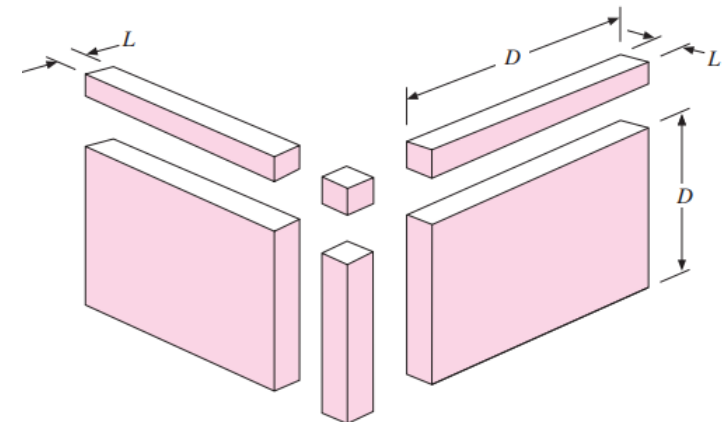
$$S_{\text{edge}} = 0.54D$$

$$S_{\text{corner}} = 0.15L$$

A = Area of wall

L = Wall thickness

D = Length of edge

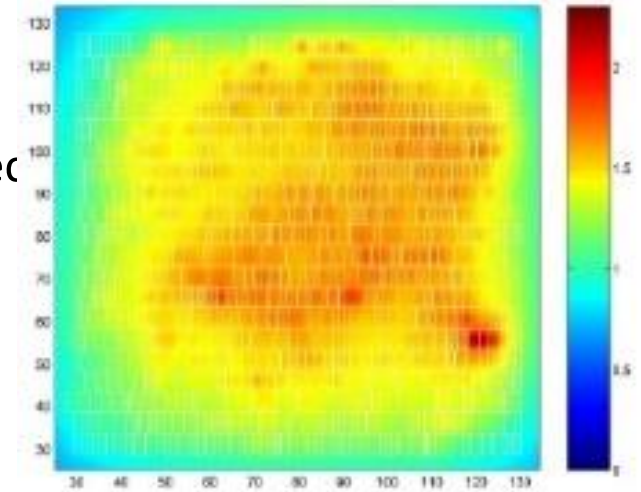


✓ Temperature gradient & heat transfer rate

- a. High energy proton beams colliding location/ elec
Circuit path on PCB and heat generation spots

↪ energy gradient causes

↪ non-uniform temperature distribution



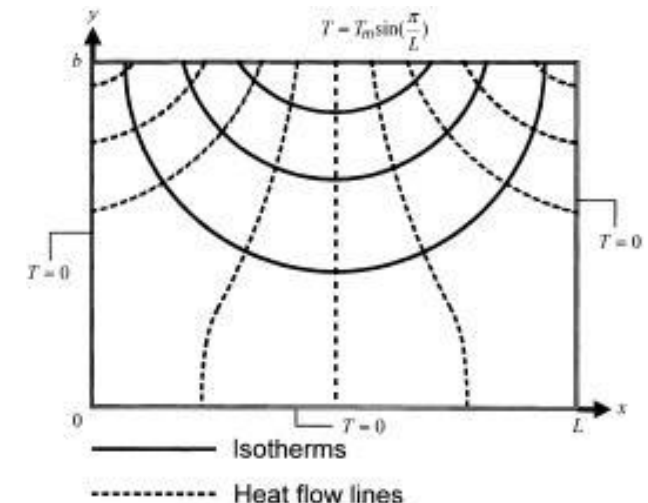
✓ Increasing conductivity of plate

- a. Material/Mechanical properties of PCB, Absorber:

Higher conductivity (k) ↔ Higher rate of heat transfer

✓ Heat spots and critical areas

✓ Effects of boundary conditions as cold sources



- Heat transfer through stave layers

- ✓ Thermal conductivity of multilayer bodies (R_{Total}):

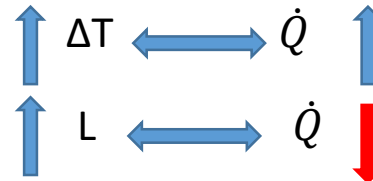
- Sensors, PCB, Silver glue, absorber

$$R = R_1 + R_2 + R_3 + R_4 + R_5 = \frac{L_1}{k_1 A_1} + \frac{L_2}{k_2 A_2} + \frac{L_3}{k_3 A_3} + \frac{L_4}{k_4 A_4} + \frac{L_5}{k_5 A_5}$$



- ✓ Temperature gradient & rate of heat transfer

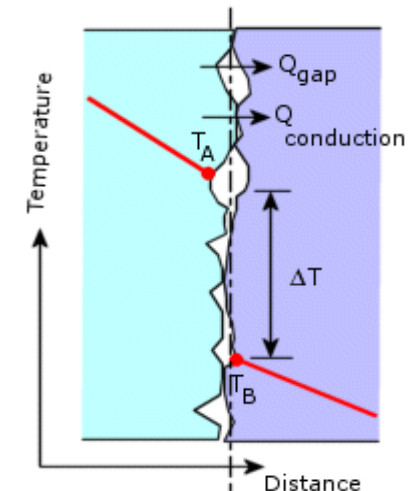
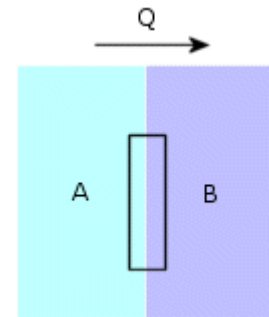
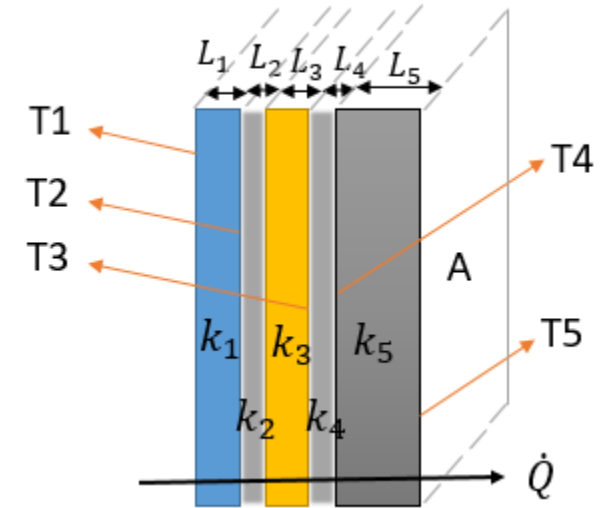
$$\dot{Q} = \frac{\Delta T}{R}$$



- ✓ Thickness layers sensitivity

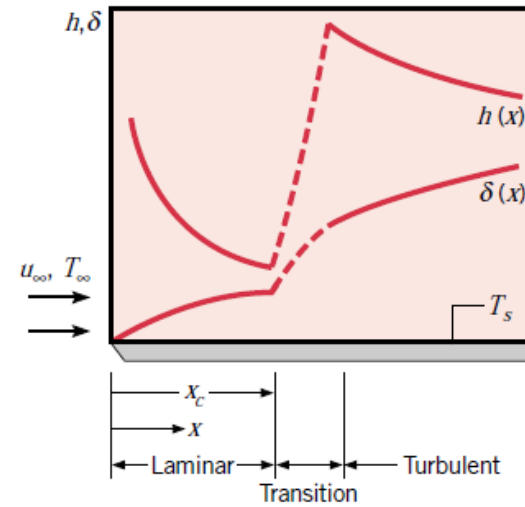
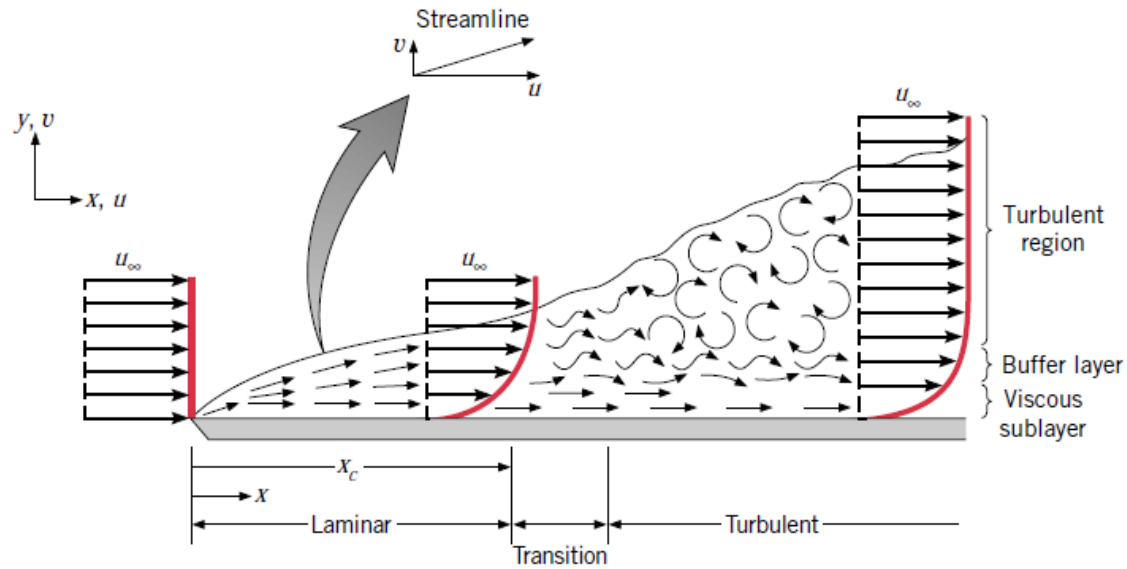
- ✓ Critical layer in case of mechanical properties and heat capacity, deformation?!

- ✓ Thermal contact resistance challenge



- Heat transfer between layers

- ✓ Feasibility of air cooling convection system



- ✓ Air gap sensitivity analysis \longrightarrow Boundary layer interaction
- ✓ Convection heat transfer rate, thermal gradient in air between layers

✓ Feasibility of various Convection heat transfer:

a. Force convection $q = hA \Delta T$

- Reynolds Number(Re)- ratio of inertia to viscous force-
- Nusselt Number(Nu) – Thermal Boundary layer to velocity boundary layer

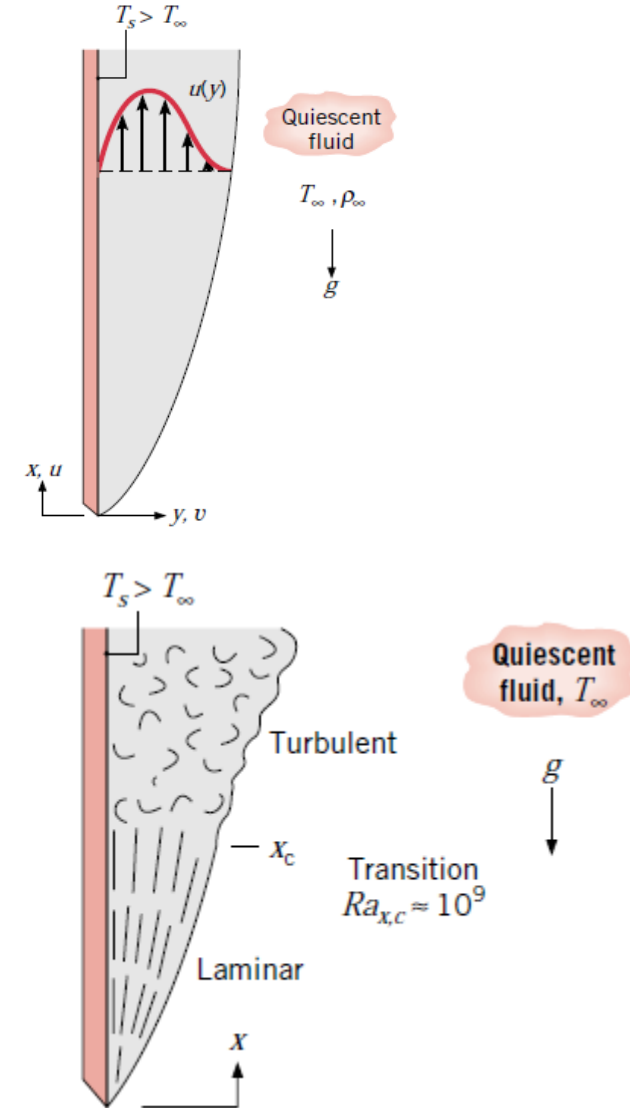
b. Free/Natural convection

b.1: Laminar Flow

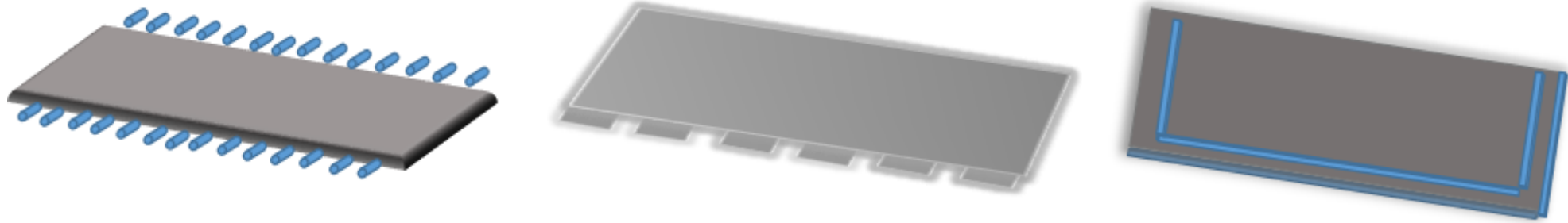
- Bouyancy Forces
- Volumetric thermal expansion coefficient (β)
- Nusselt Number(Nu)
- $Nu = f(Gr, Pr) = \frac{3}{4} \left(\frac{Gr_x}{4}\right)^{\frac{1}{4}} g(Pr)$
- Grashof Number (Gr)
- Prandtl Number (Pr)

b.2: Turbulence Flow

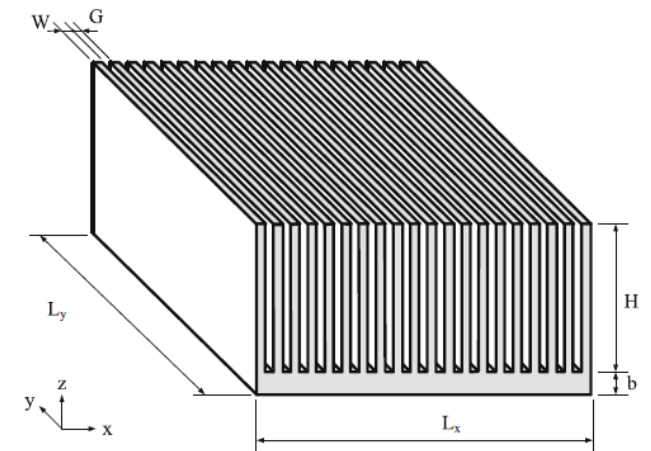
- Bouyancy Forces
- Volumetric thermal expansion coefficient (β)
- Nusselt Number(Nu)
- $Nu = f(Ra, Pr) = \left\{ 0.825 + \frac{0.387 Ra^{\frac{1}{6}}}{[1 + (0.492/Pr)^{9/16}]^{8/27}} \right\}^2$
- Rayleigh Number (Ra)
- Prandtl Number (Pr)
- Thermal Diffusivity (α)



- ✓ Ventilation feasibility between air gaps and surrounding inside the calorimeter box
- ✓ Feasibility of micro bodies (e.g rectangular or cylindrical) pin on absorber free side to work as heat sink to increase convection heat transfer rate

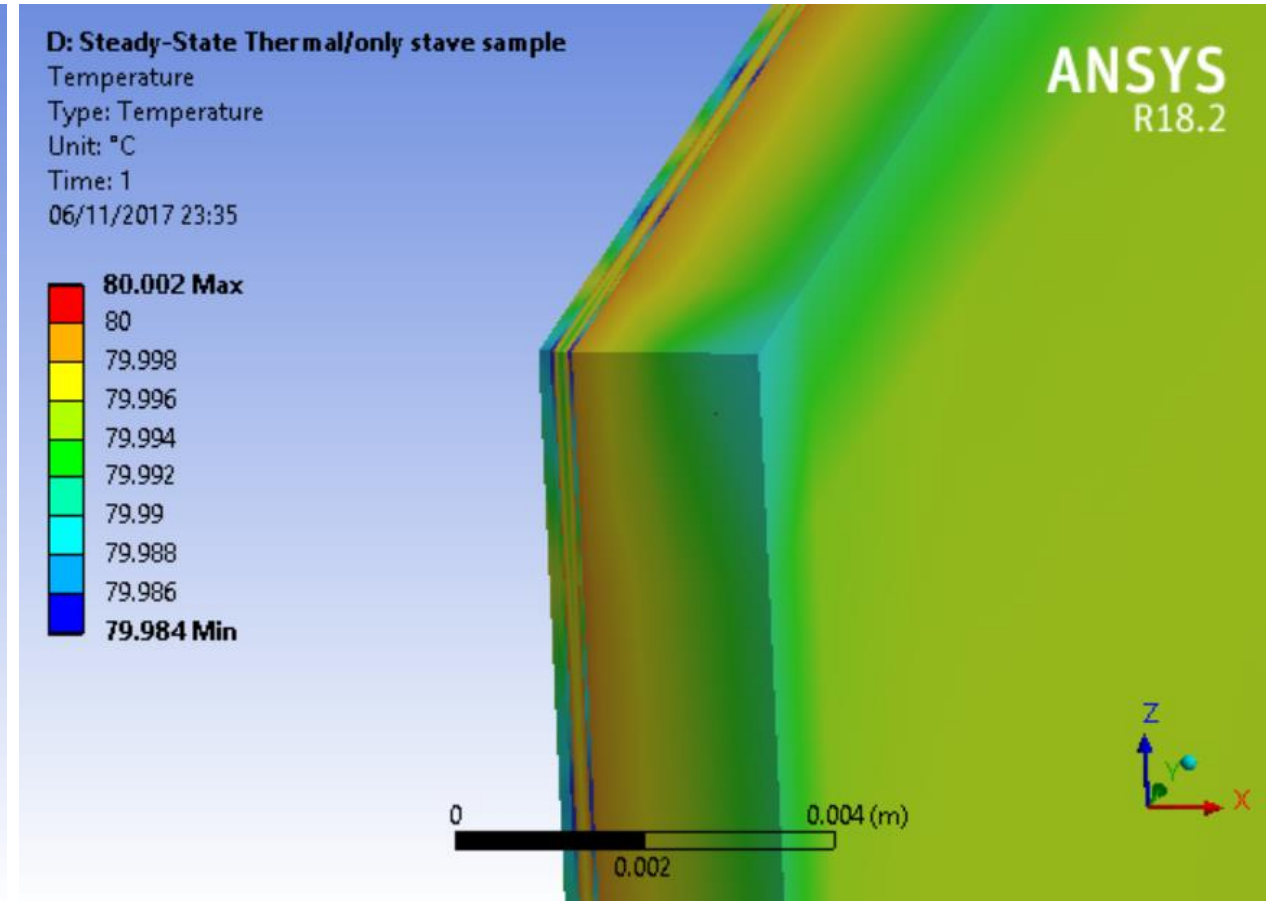
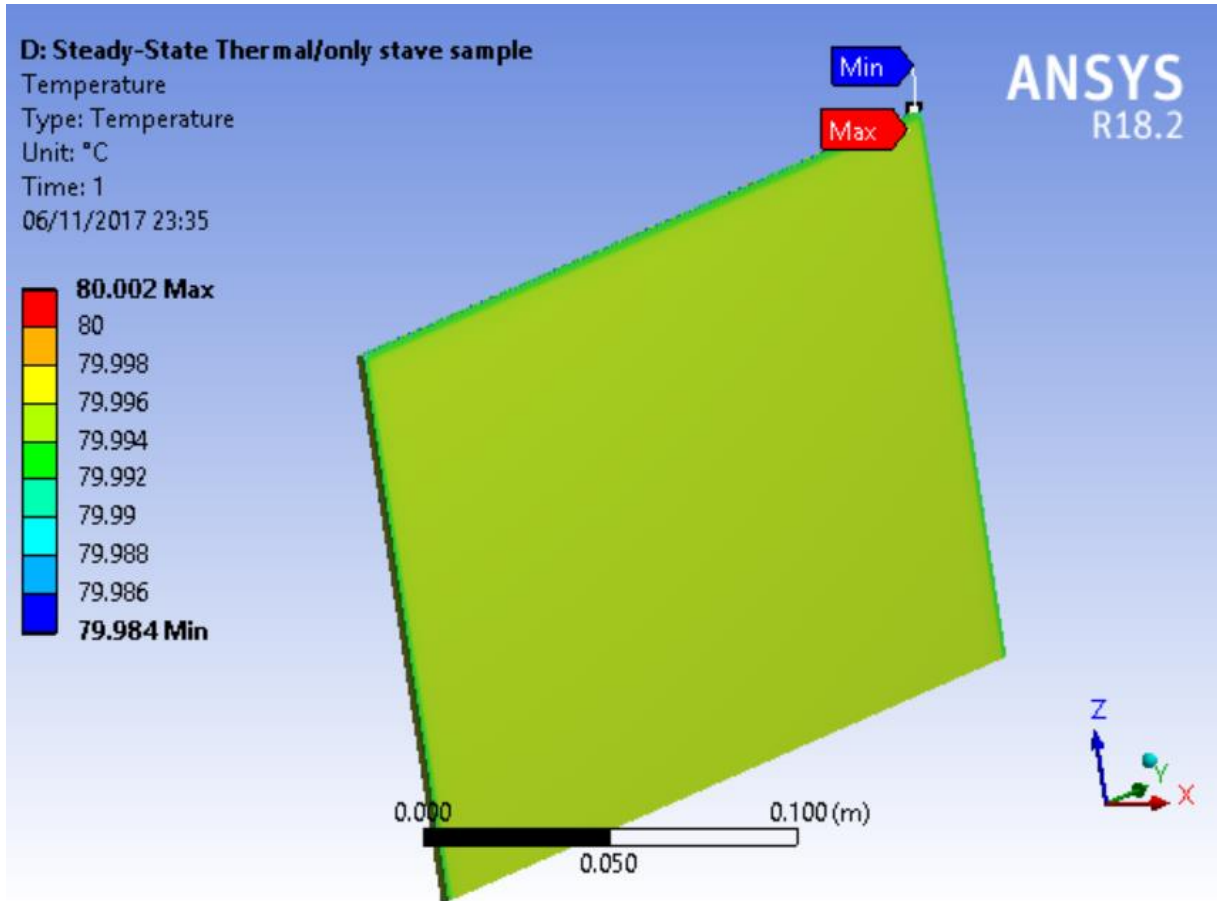


- ✓ Dual purpose design for calorimeter structure, with opportunity to work as support structure or stave rack/casing and also heat sink



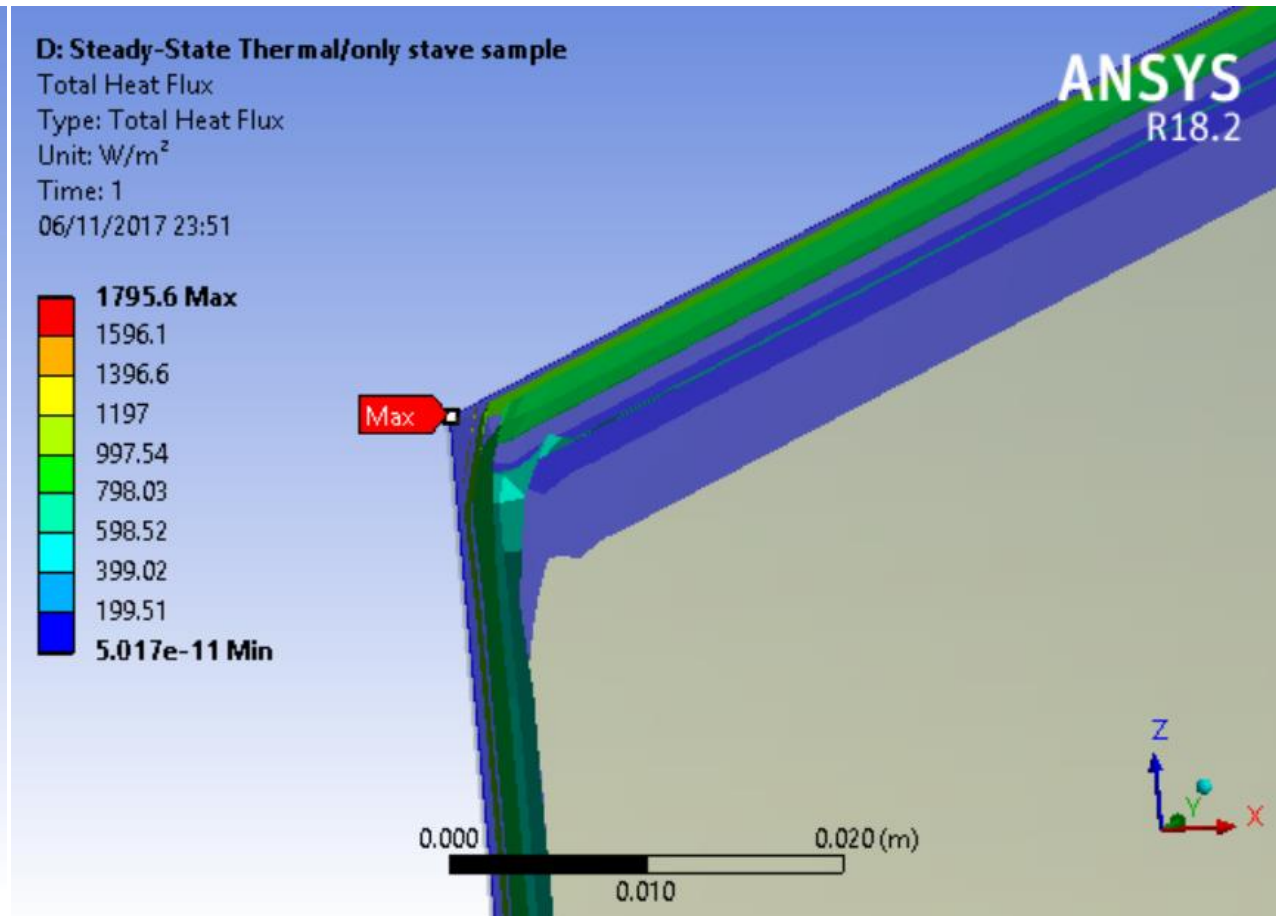
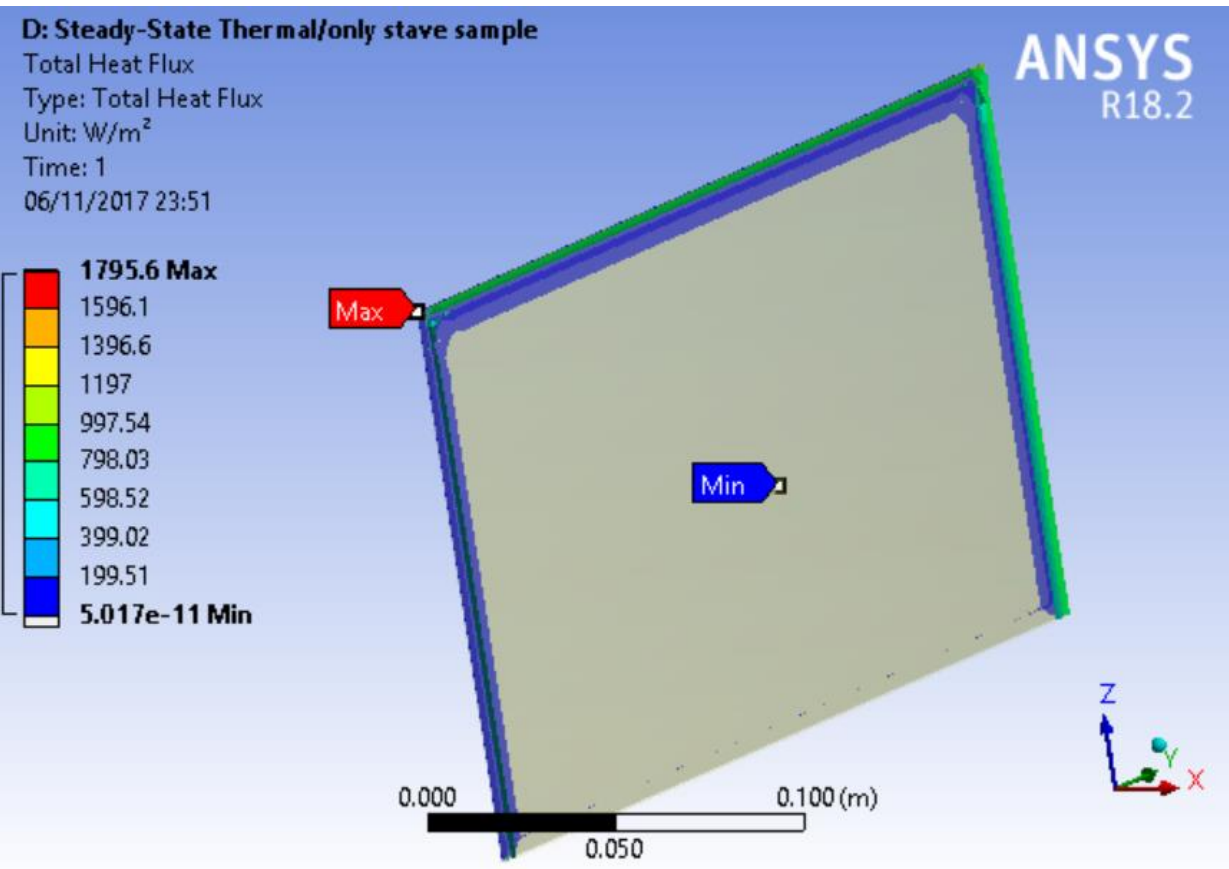
In plate temperature distribution & temperature diffusion through the stave layers and:

- free convection
- 5000 W/m³ heat generation in PCB



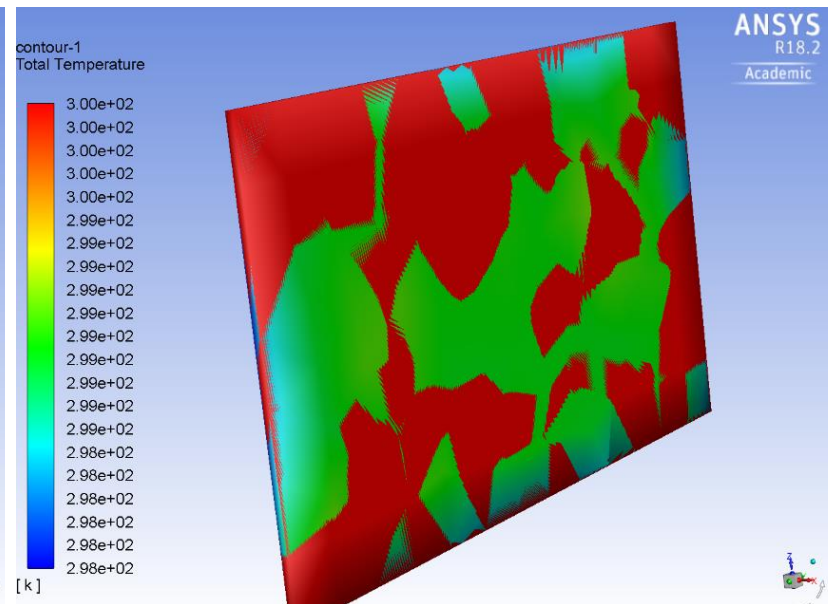
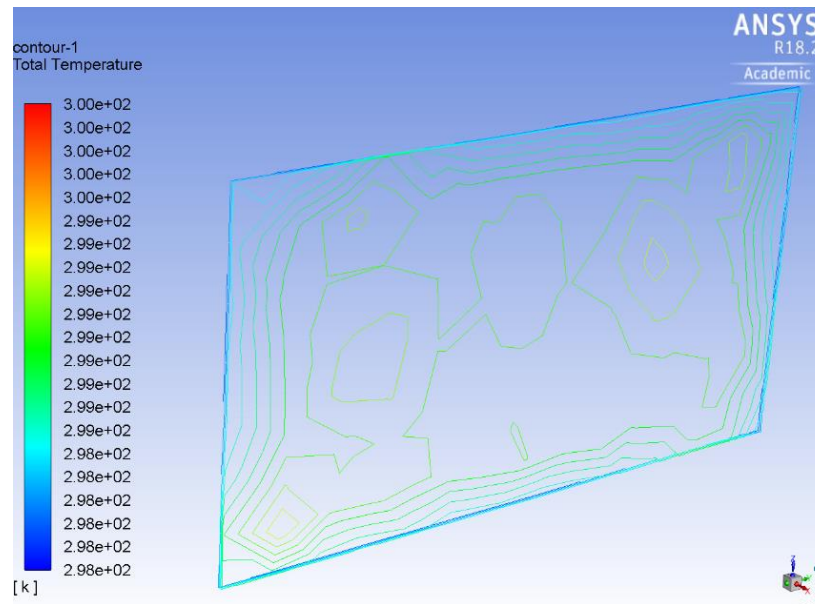
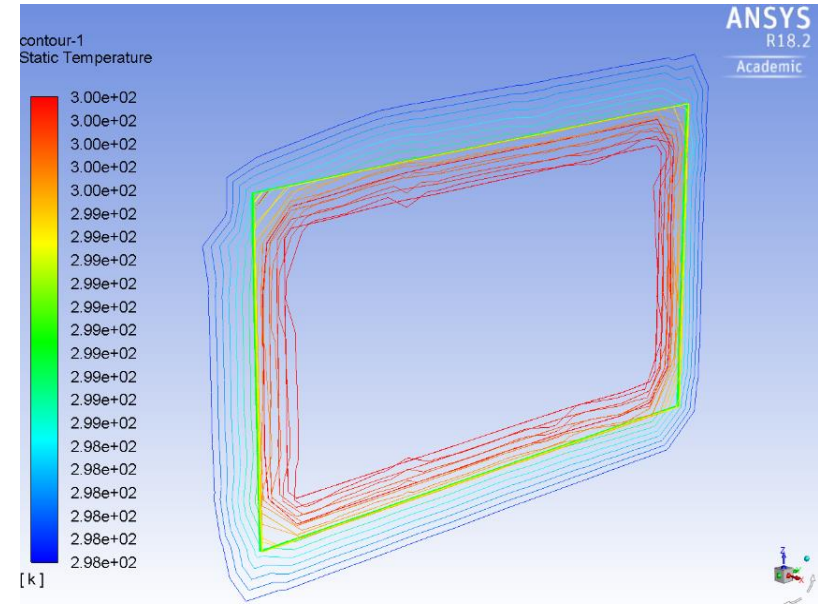
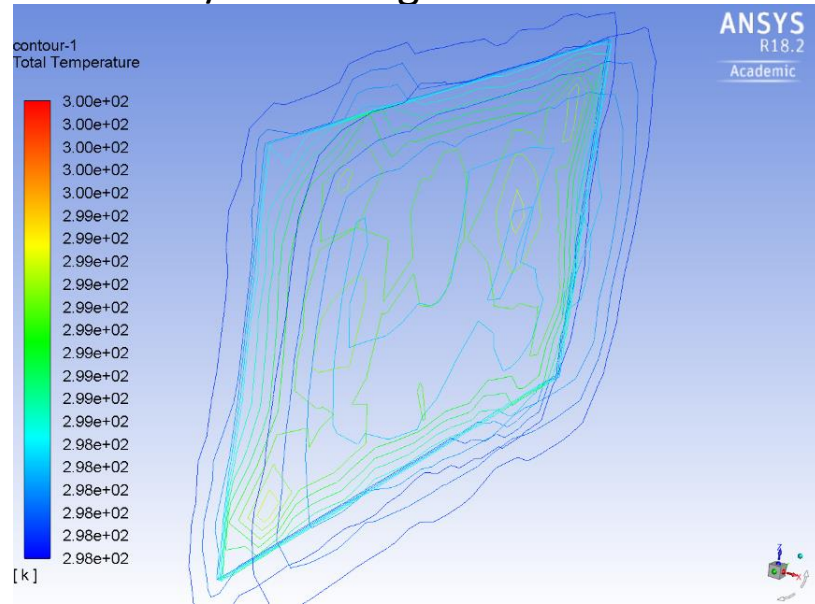
In plate temperature distribution & temperature diffusion through the stave layers and:

- free convection
- 5000 W/m³ heat generation in PCB



Heat transfer to surrounding (Convection) & temperature distribution :

- free convection
- 15000 W/m³ heat generation in PCB



Heat transfer to surroundibg (Convection)& temperature distribution :

- force convection (air velocity=0.75 m/s)
- 15000 W/m3 heat generation in PCB

